

## ICANS-VI

INTERNATIONAL COLLABORATION ON ADVANCED NEUTRON SOURCES

June 27 - July 2, 1982

CRYSTAL ANALYZER TOF SPECTROMETER (CAT)  
FOR HIGH ENERGY INCOHERENT NEUTRON SCATTERING

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## ABSTRACT

This paper reports the design and performances of a high resolution crystal analyzer spectrometer which has been built and operated at KENS. Energy resolution of the instrument is  $\Delta\epsilon/\epsilon = 0.02 \sim 0.03$  in the range of energy transfer  $\epsilon = 0.05 \sim 1$  eV. With this spectrometer, local mode of hydrogens in various metallic hydrides have been measured. In case of  $\text{TiH}_2$  or  $\text{ZrH}_x$ , higher harmonics of the optical peaks have been detected up to 5th orders with their fine structures. Higher order peaks of  $\text{TaH}_{0.5}$  have also been detected. Optical mode in hydrogenated metallic glass of  $\text{NiTiH}_{0.5}$  has been measured and compared with that in crystalline sample.

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### 1. INSTRUMENT

A high resolution crystal spectrometer has been built and operated at KENS. The instrument makes possible the measurement of incoherent neutron scattering with large energy transfer in the range  $\epsilon = 0.05 \sim 1$  eV, with resolution of about  $\Delta\epsilon/\epsilon = 0.02 \sim 0.03$  in the entire range of energy transfer<sup>1)</sup>. The instrument is an inverted geometry type; the scattered neutrons are detected at a fixed energy by a large analyzer crystal, while the incident neutron energy is determined from the measured total time of flight,  $t$ , using the following relation,

$$t = \frac{L_i}{V_i} + \frac{L_f}{V_f}, \quad (1)$$

where  $L_i$ ,  $L_f$ ,  $V_i$ , and  $V_f$  are incident (i) and scattered (f) flight paths lengths and neutron velocities, respectively.

In this type of spectrometer, generally speaking, uncertainty in the second term becomes large due to the finite extent of sample, analyzer, and detector. This reflects on the first term through the relation in equation (1) and results in the poor definition of the incident energy. If we put the sample and the detector on a plane, and set the analyzer parallel to this plane as shown in Fig. 1(a), then two dimensional focussing is realized in time of flight between sample and detector. This focussing geometry make it possible to improve the energy resolution without sacrificing the geometric counting efficiency. A prototype spectrometer of this type was developed and operated at Tohoku linac<sup>2-4)</sup>. In the new machine at KENS, signal to background ratio has been largely increased with an improved energy resolution<sup>1)</sup>. Momentum transfer,  $Q$ ,

is rapidly increased with energy transfer,  $\epsilon$ , due to the low final energy, but the spectrometer will be useful for the measurements of the local mode of hydrogens in metallic hydrides, for the molecular spectroscopy, etc., where the value of  $Q$  is not crucial and the  $Q$ -dependence is not so important. Similar instruments were operated also at the pulsed neutron facilities of Harwell linac<sup>5)</sup>, ZING-P' at Argonne<sup>6)</sup>, and WNR, at Los Alamos<sup>7)</sup>.

Figure 1(b) shows the spectrometer configuration. The instrument has been installed at H-7 beam hole which views the surface of a moderator (polyethylene slab at room temp.) perpendicularly. Maximum beam size at sample position is  $7 \text{ cm}^W \times 7 \text{ cm}^H$ . In order to minimize the ambiguity of the incident flight path length, a plane sample is set perpendicularly to the beam at  $L_1 = 5.299 \text{ m}$ . The analyzer crystal is a  $10 \text{ cm} \times 10 \text{ cm}$  pyrographite (mosaic spread  $1.2^\circ$ ). Bragg angle of  $\theta_B \sim 43^\circ$  is used, and 002 reflection corresponds to  $E_f = 4 \text{ meV}$ . Eight He-3 proportional counters,  $1/2$  inches in diam. and 12 inches in active length filled to 20 atoms pressure, are set in horizontal direction to form a detector plane. In the present configuration, center line distance between sample and analyzer, and that between analyzer and detector are 36 cm respectively which correspond to inter plane distance  $a = 24.2 \text{ cm}$ . A beryllium filter ( $9.5 \text{ cm}^H \times 12 \text{ cm}^W \times 15 \text{ cm}^L$ ) cooled to liquid nitrogen temperature is used between analyzer and detector with a post cross collimator made of cadmium, in order to eliminate neutrons due to higher order reflections. Sample-analyzer-detector system is buried in a shield box of 2 cm thick  $B_4C$  and 25 cm thick borated resin wall.

## 2. ENERGY RESOLUTION

Extensive studies of the energy resolution were performed by a Monte Carlo computer simulation for sample-analyzer-filter detector system. Figure 2(a) shows the effect of the mosaic spread,  $\beta$ , in the analyzer crystal on the time distribution of the scattered neutrons. This indicates that mismatch in time focussing due to the finite value in  $\beta$  is not significant in this spectrometer. The most probable value

of  $t_f$  is determined to be  $t_f = 821 \mu\text{sec}$  from this result.

Figure 2(b) shows the calculated energy spectrum of the scattered neutrons. The width is fairly wide which is consistent with measurement, and from this distribution, mean value of  $E_f$  is determined to be  $\bar{E}_f = 3.9 \text{ meV}$ .

The effect of the finite size and circular cross section of the detector was also studied. Even with 1/2" diam. counter, the effect seems significant, and if necessary we can improve the resolution by placing a proper cadmium mask, with a sacrifice in counting efficiency by about 30 %. Calculated values of the total and partial resolution are shown in Fig. 3 as a function of energy transfer.

### 3. PERFORMANCE

In order to test the performance of the spectrometer, local vibration mode of hydrogens in various metallic hydride samples has been measured<sup>1), 8)</sup>. In Fig. 4(a) is shown a typical raw data of TOF spectrum obtained from  $\text{TiH}_2$  at room temperature which demonstrates the extremely low background level compared to the results obtained at other laboratories. Even at the time corresponding to  $\varepsilon = \infty$ , background is low enough to observe a small step increase in the spectrum. Figure 4(b) shows the energy spectrum which demonstrates the higher resolution of the instrument. Higher harmonics are clearly observed up to 5th order with their fine structures.

$\text{ZrH}_{1.41}$  and  $\text{ZrH}_{1.93}$  have been measured and the results are shown in Fig. 5. The locations of the peaks are listed in Table 1 with those obtained for  $\text{TiH}_2$  and  $\text{TaH}_{0.5}$ . It is obvious that the frequencies for higher harmonics are shifted by appreciable amounts from the respective harmonic positions, and from these frequency shifts we can determine the anharmonicity parameters of the hydrogen potential. The striking feature of the fine structures in the higher harmonics is that the separation or the split of the subpeaks in the respective orders becomes more pronounced

at higher harmonics. In the fundamental peak of  $ZrH_{1.93}$ , there are two sub-peaks at about 138 meV and 145 meV with a shoulder at about 154 meV. The results is consistent with the reported values by Couch, et al.<sup>9)</sup> There exists a distinct difference between the fine structures of  $ZrH_{1.41}$  (cubic) and those of  $ZrH_{1.93}$  (tetragonal), especially in the 2nd harmonics.

Table 1 Peak Positions of Localized Modes

	1st (meV)	2nd (meV)	3rd (meV)	4th (meV)	5th (meV)
$ZrH_{1.93}$ (300 K)	138	257	389	500	644
	145	274	415	531	677
	154	293			
$ZrH_{1.41}$ (300 K)	137	260	394	493	644
	141	274	433	531	666
	146	297		565	
$TiH_2$ (300 K)	139	263	394	523	678
	148	280	405	565	740
	154	304	433		
	171				
$TaH_{0.5}$ (300 K)	122	233			
	130	236			
	162	277			
	167	318			
$TaH_{0.5}$ (30 K)	124	225			
	130	239			
	161	277			

Figure 6 shows the results of  $TaH_{0.5}$ . In  $TaH_{0.5}$  at room temperature, the lower fundamental peak ( $\sim 120$  meV) has a shoulder at about 130 meV, and the higher fundamental ( $\sim 160$  meV) splits into two peaks. Hempelmann, et al.<sup>10)</sup> have measured  $TaH_{0.08}$  and fitted the higher fundamental peak by two Gaussians. The present results are qualitatively consistent with theirs. They have found the second harmonics of the lower fundamental at about 227 meV which may correspond to our peak at 223 meV. In the present spectrum, many extra peaks are observed above this energy. Some of them may be attributed to the multi-phonon contribution of the fundamentals. Assignment of the peaks are now in progress. The results at low temperature are also shown in the figure.

Hydrogenated metallic glass of  $\text{NiTi}_2\text{H}_{0.5}$  has also been investigated<sup>1)</sup>, in which hydrogen atoms reside in the central hole of polyhedral unit structures of metallic atoms. The results are shown in Fig. 7 where the measured spectra of  $\text{TiH}_2$ ,  $\text{NiTi}_2\text{H}_{0.9}$  and  $\text{NiTi}_2\text{H}_{0.5}$  crystals are also displayed for comparison. The striking new result is the observation of well defined higher harmonics of the local mode in glassy metallic hydride. Higher harmonics in the glassy sample are clearly observed up to 4th or 5th order at low temperature as in crystalline sample, while a rapidly damping occurs beyond 3rd harmonics at room temperature.

Table 2 Locations and Line Widths of 1st, 2nd and 3rd Harmonics

	1st level		2nd level		3rd level	
	$\hbar\omega$	FWHM	$\hbar\omega$	FWHM	$\hbar\omega$	FWHM
a- $(\text{NiTi}_2)\text{H}_{0.5}$	143±2	74±5	275±3	106±10		
c- $(\text{NiTi}_2)\text{H}_{0.5}$	150±2	36±5	286±3	67±10	410±8	90±20
c- $(\text{NiTi}_2)\text{H}_{0.9}$	144±2 155±2	47±5	286±3	90±10	412±8	140±20
$\text{TiH}_2$		31±1	264±3 285±3	55±5	394±8 428±8	96±10

unit: meV

The location and width of the optic peaks are summarised in Table 2. Note that the low-energy shoulder appearing at  $\hbar\omega \leq 100$  meV in the crystalline  $\text{NiTi}_2\text{H}_{0.5}$  is also found in the glassy state. This shoulder seems to be contributed from hydrogen atoms in the possible octahedral site as in crystalline state<sup>2)</sup> Details will be given in separate articles.

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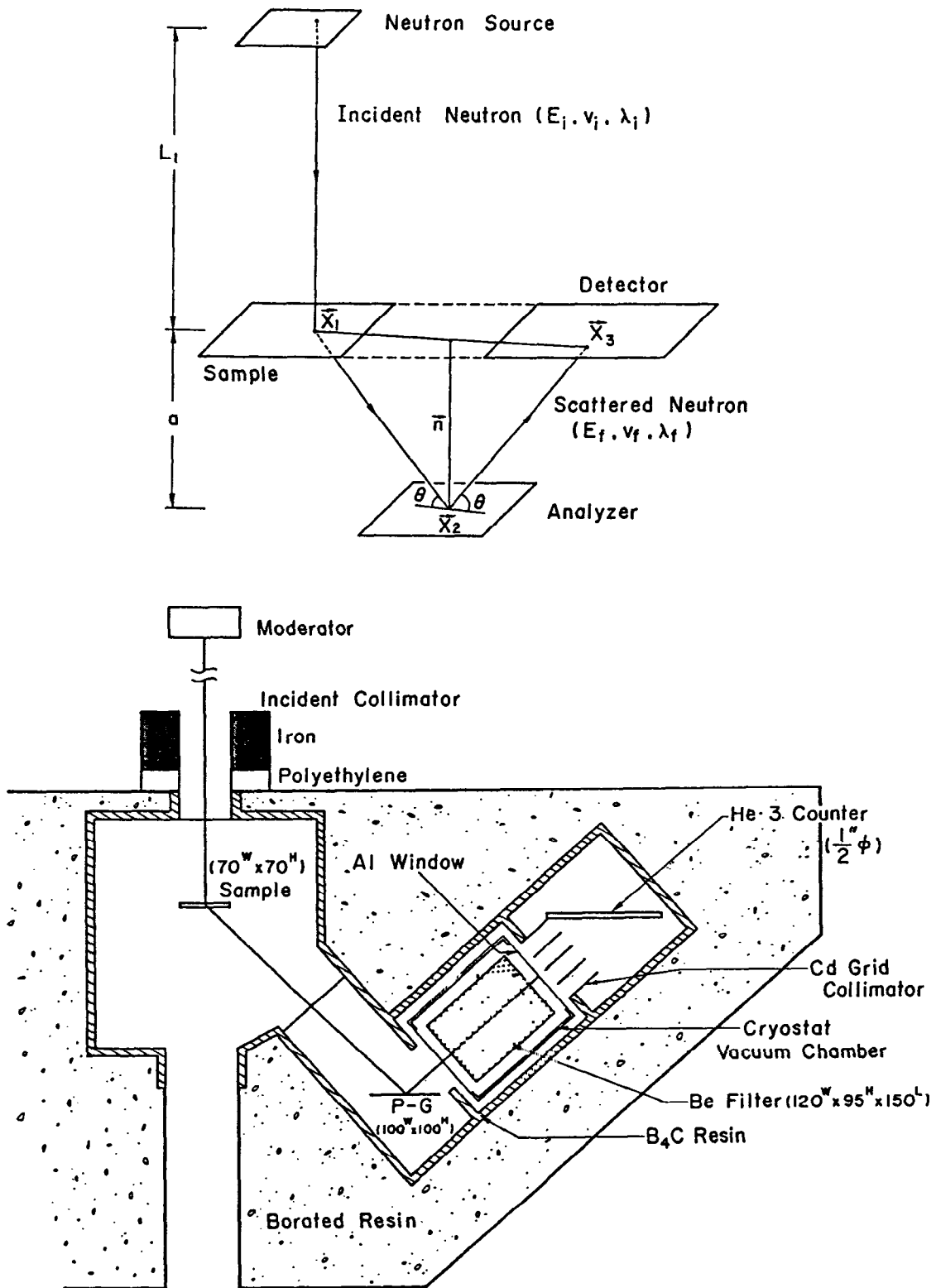


Fig. 1 Principle (a) and configuration (b) of the spectrometer



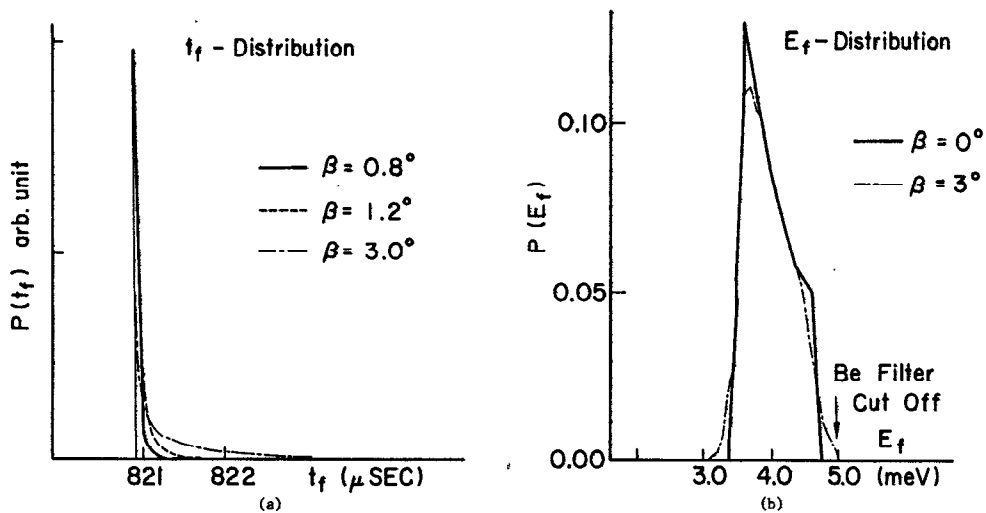


Fig. 2. Time distribution of detected neutrons due to finite mosaic spread of analyzer crystal (a) and energy distribution of detected neutrons.

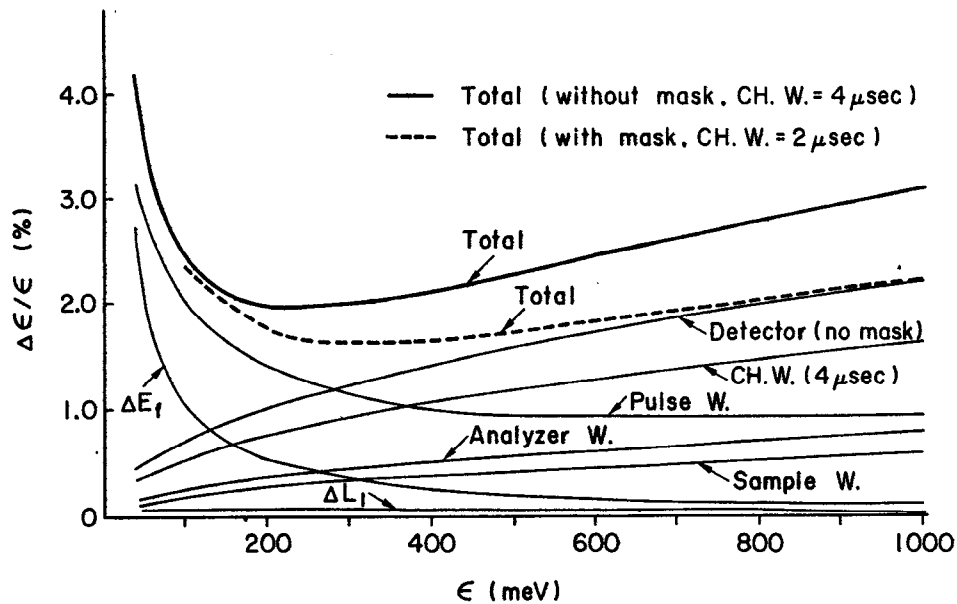


Fig. 3. Total and partial energy resolution.

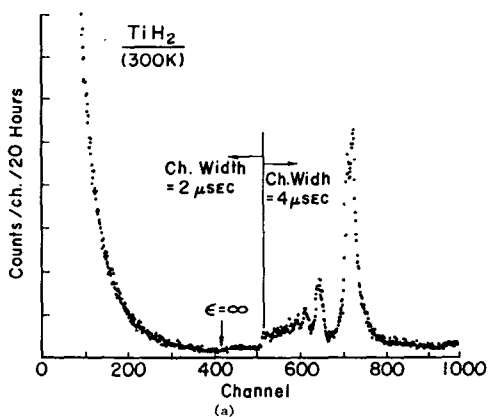


Fig. 4

Raw TOF spectrum (a) and double differential cross section (b) of  $\text{TiH}_2$ .

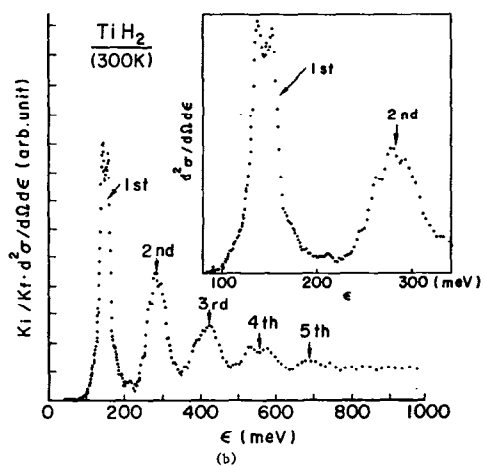
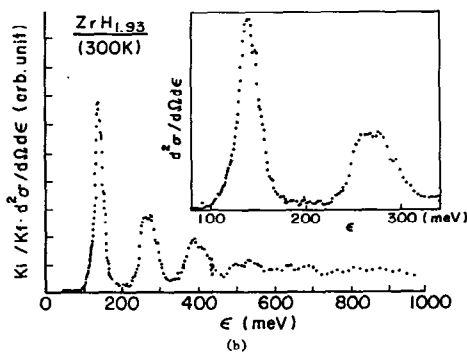
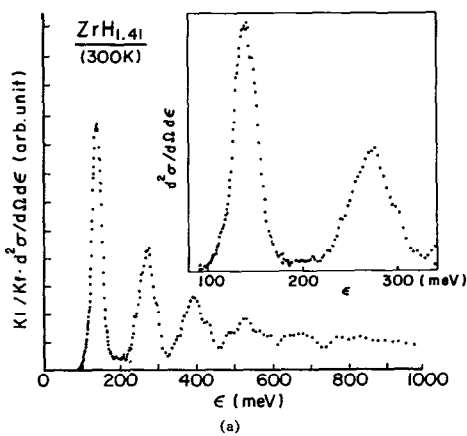


Fig. 5

Double differential cross section of  $\text{ZrH}_{1.41}$  (a) and  $\text{ZrH}_{1.93}$  (b)



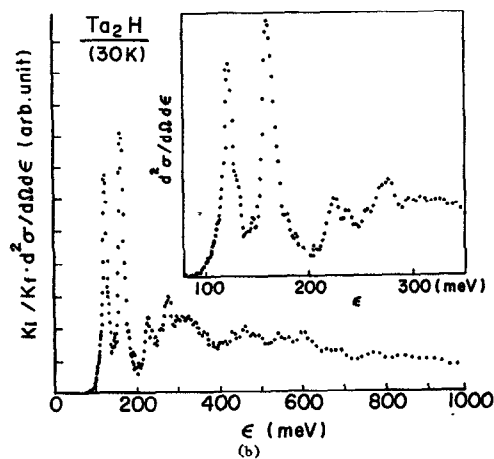
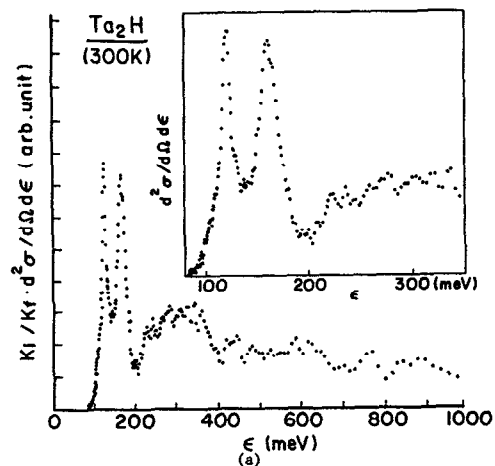


Fig. 6  
Double differential cross section of Ta<sub>2</sub>H at room temperature (a) and at 30 K (b).

Fig. 7  
Double differential cross section of amorphous Ni<sub>0.33</sub>Ti<sub>0.67</sub>H<sub>0.5</sub> compared with those of Ni<sub>0.33</sub>Ti<sub>0.67</sub>H<sub>0.5</sub>, NiTi<sub>2</sub>H<sub>0.9</sub> and TiH<sub>2</sub> crystals.

